

# Accuracy of TEXTOR He-beam diagnostics

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## Introduction – standard He-beam diagnostics on TEXTOR

### Atomic processes involved

### Evaluation procedures

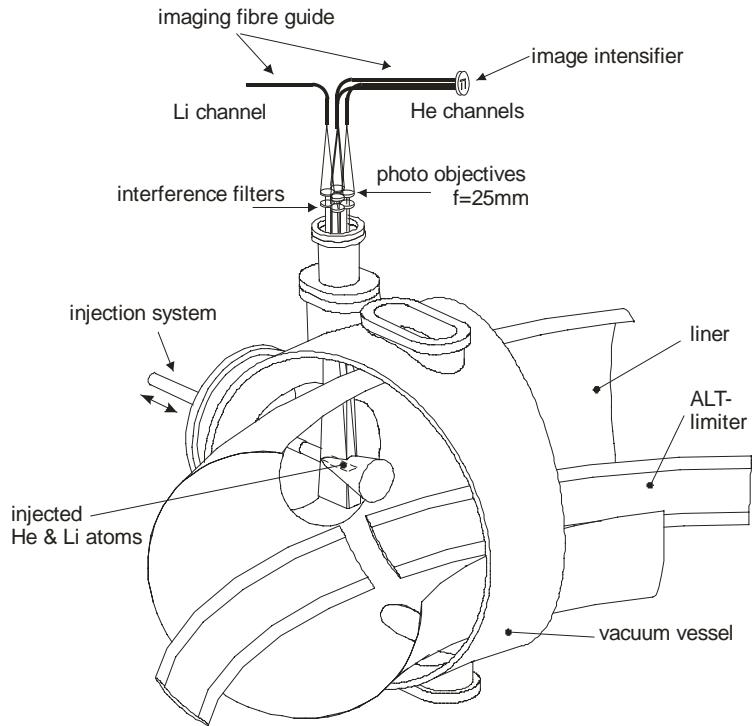
Atomic data - standard, new

Results - comparison of intensity profile fits  
comparison for different atomic data  
comparison for different discharge conditions  
comparison of different diagnostics

### Summary & conclusions

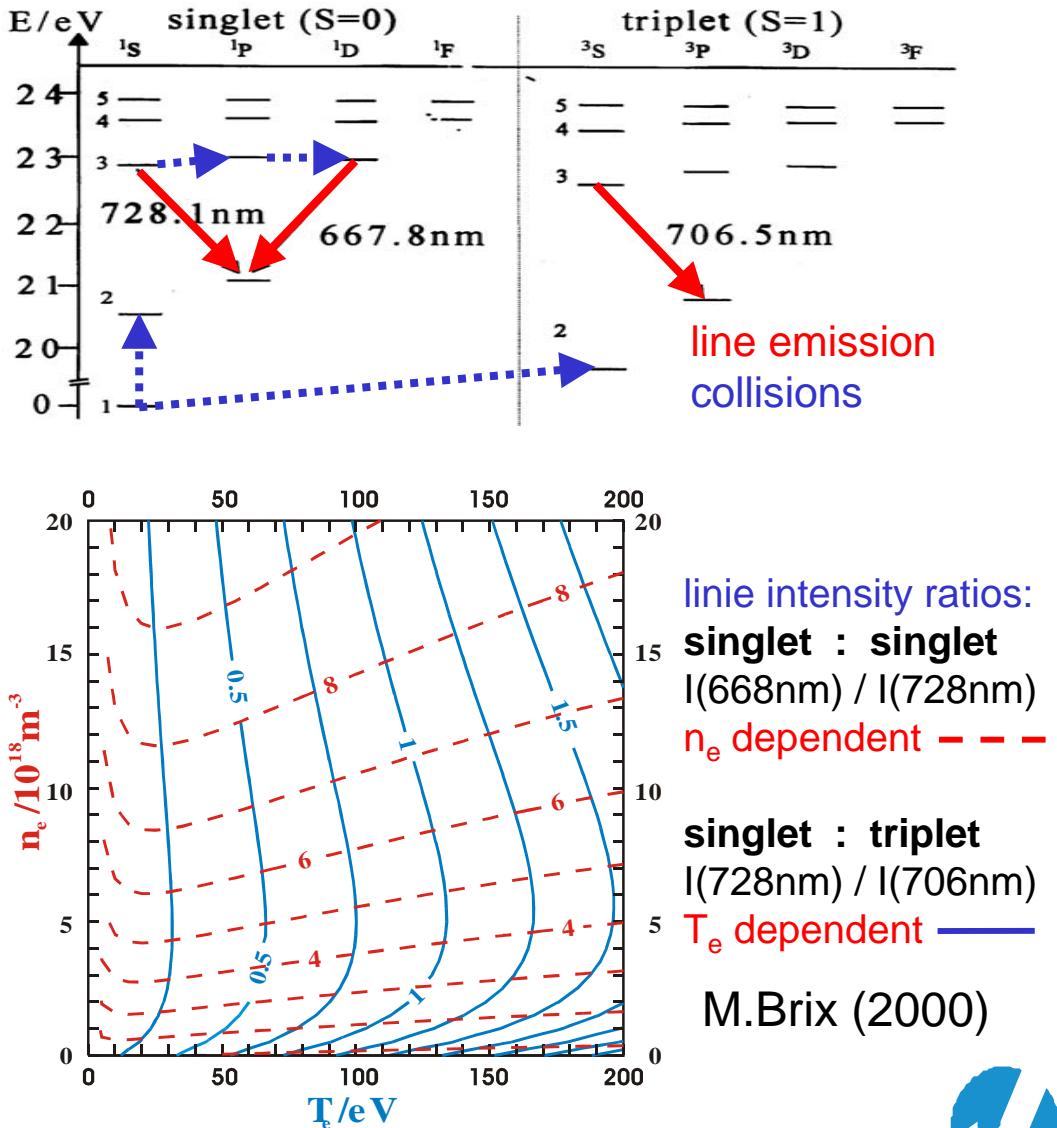


# Standard TEXTOR He-beam diagnostics



$$n/n_1 \approx \text{constant}$$

- relaxation time  $\tau_r$  sufficiently small
- temporal resolution:  $\Delta t = \tau_r(\max)$
- spatial resolution:  $\Delta x = \Delta t \cdot v_{\text{Strahl}}$
- no p & d collisions



# Atomic processes

$$v_b \frac{d}{dx} n_i =$$

**pop. processes**

$$+ \sum_{j,j \neq i} \langle \sigma_{e,ji} v \rangle n_e n_j$$

$$+ \sum_{j,j \neq i} \langle \sigma_{p,ji} v \rangle n_{ion} n_j - \sum_{i,j \neq i} \langle \sigma_{p,ij} v \rangle n_{ion} n_i$$

$$+ \sum_{j,j > i} A_{ji} n_j$$

**depop. processes**

$$- \sum_{i,j \neq i} \langle \sigma_{e,ij} v \rangle n_e n_i$$

$$- \sum_{j,j < i} A_{ij} n_i$$

$$- \langle \sigma_{e \rightarrow ionis,i} v \rangle n_e n_i$$

$$- \langle \sigma_{p \rightarrow ionis,i} v \rangle n_{ion} n_i$$

$$- \langle \sigma_{cx,i} v \rangle n_{ion} n_i$$

**electron collision excitation**

**ion collision excitation**

**spontaneous emission**

**electron collision ionisation**

**ion collision ionisation**

**charge exchange**



## Evaluation procedures

For known  $T_e(r)$  and  $n_e(r)$  -> line intensity profiles  $I_\lambda(r) = n_k A_{ki}$

However, we need for known  $I_\lambda(r) = n_k A_{ki}$  ->  $T_e(r)$  and  $n_e(r)$

M. Brosda and M.Brix have already shown that it is possible to restore  $T_e$  and  $n_e$  profiles from line profiles  $I_1(r); I_2(r); I_3(r)$

### Possible approaches:

non-stationary (NS): direct solution of the general (time / space) dependent equation and fit  $I_\lambda(r) = n_k A_{ki}$  to the measured one.

quasi-stationary (QS): approx. solution of the NS equations: on the right the St-solution of the balance equations for rel. populations  $n_k/n_1$  of the excited states is inserted.

stationary (St): the derivatives are neglected assuming that the time constant of the measured processes are larger than the relaxation times  $\tau$  for the transitions used.



## Atomic data - levels

The following atomic levels of He I have been included in the model:

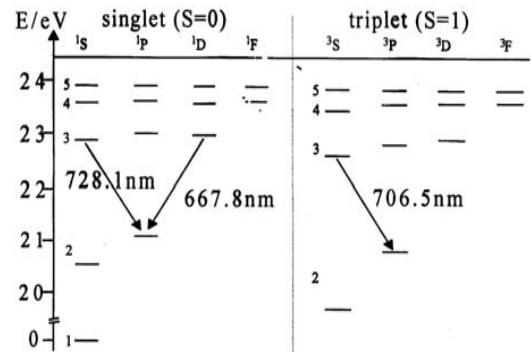
(1):  $1s^2 \ ^1S$ ;  $1snl \ ^1L$ ;  $1snl \ ^3L$ ;  $n = 2; 3; 4$ ,  $l = 0; 1; 2$

(1i):  $1s4f \ ^1F$ ;  $^3F$

(2):  $1sn\_1$  (singlets),  $1sn\_3$  (triplets),  $n = 5; 6; 7$  summed over all  $l$

(3):  $1sn$ ;  $n = 8$ ; 9 summed over all  $l$  and  $S$

(c):  $c = 1s$  ground state of He II



"effective" levels have been introduced, which describe group of levels summed over some quantum numbers (decreases drastically the dimensions of the statistical matrix).

group (1):  $SL$  coupling is a good approximation.

group (1i) and any levels with  $l > 2$ : deviation from the  $SL$  coupling is significant.

The matrix of the eigen-vectors in intermediate coupling was obtained for the states (1i) using the GRASP92-code (*Drake*).

For the levels  $1sn$ ;  $n = 8; 9$  summed over all  $l$  and  $S$  the type of coupling is not important.

For the levels  $1sn\_1$  (singlets),  $1sn\_3$  (triplets),  $n = 5; 6; 7$  an effective mixing due to deviation from the  $SL$  coupling was introduced.



# Atomic data – energies, radiation, collision with e

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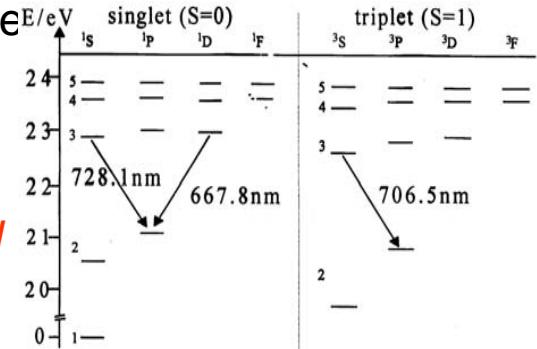
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(c):  $c = 1s$  ground state of He II



Energy levels: from NIST

A for  $1s2p \ ^{1,3}P - 1s^2 \ ^1S$  from Wiese (NSRDS-N.B.S.)

A for groups (1), (1i) from ATOM, intermediate coupling for  $1s4f - 1s3d$ , SL for others

A for transitions inside and between groups (2), (3): Kramers formula

$\langle\sigma v\rangle_{ex}$  for group (1): CCC-89 cross sections (Bray)

$\langle\sigma v\rangle_{ex}$  from group (1) to groups (1i),(2),(3),c: ATOM code (Norm.BA)

$\langle\sigma v\rangle_{ex}$  inside groups (1),(2),(3): semiclassical method (Beigman)

transitions to group (1i): intermediate coupling



## Atomic data – collisions with p,d, CEX

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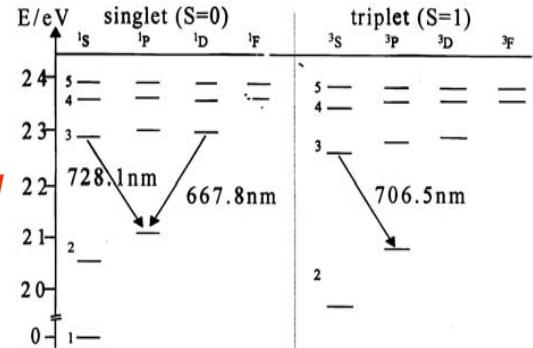
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(2):  $1sn\_1$  (singlets),  $1sn\_3$  (triplets),  $n = 5; 6; 7$  summed over all  $l$

(3):  $1sn; n = 8; 9$  summed over all  $l$  and  $S$

(c):  $c = 1s$  ground state of He II



Collisions with heavy particles at thermal energies may only contribute for transitions with  $\Delta n = 0$

$\langle\sigma v\rangle_{p,d}$  for the most important  $3l - 3l'$ : from CC-method (code ATCC (*Borodin*))  
for all other transitions: Norm. Born approximation (*Borodin*)

$\langle\sigma v\rangle_{CEX}$  from the metastable state  $1s2s$  from code CAPT (*Shevelko*) with cross sections for  $n \geq 4$  from (*Janev*)

### Normalized Born Approximation

$$\langle v\sigma_p^B \rangle = z^{-3} \frac{A\beta_\mu^{1/2}}{(\beta_\mu + \chi)(\beta_\mu/b_D + 1)} \cdot \exp(-\Delta E/kT);$$

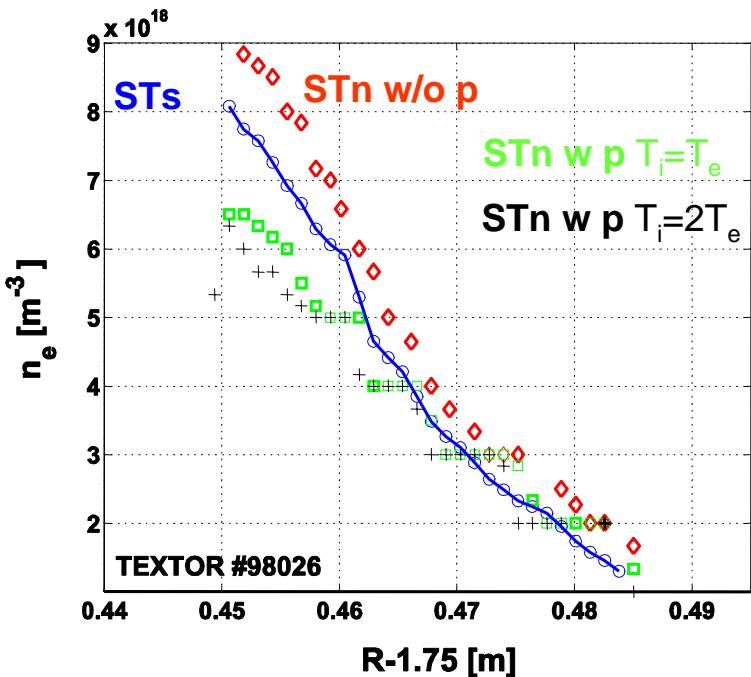
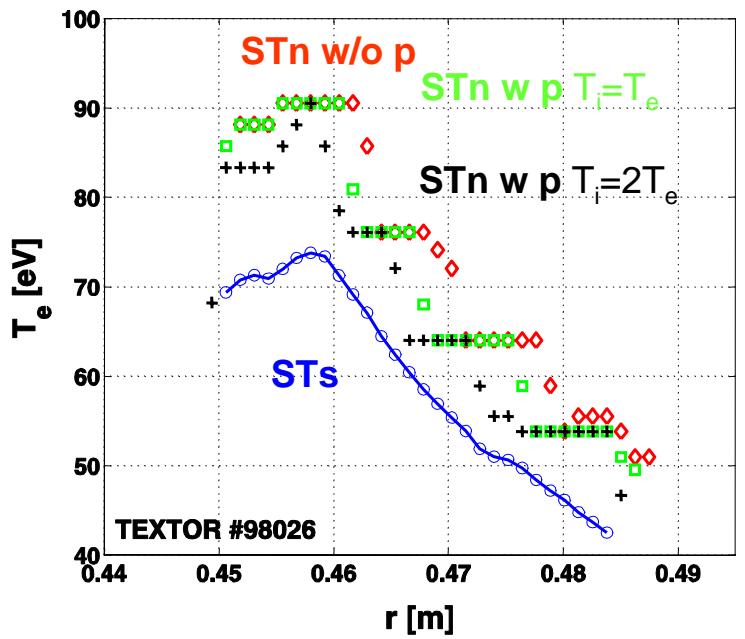
$$\beta_\mu = Z^2 Ry/kT \cdot (\mu/m); \quad b_D = 2^{5D-6};$$

### Close coupling method

$$\langle v\sigma_p^C \rangle = \langle v\sigma_p^B \rangle \cdot \exp(-\sqrt{(D/50)\beta_\mu})$$



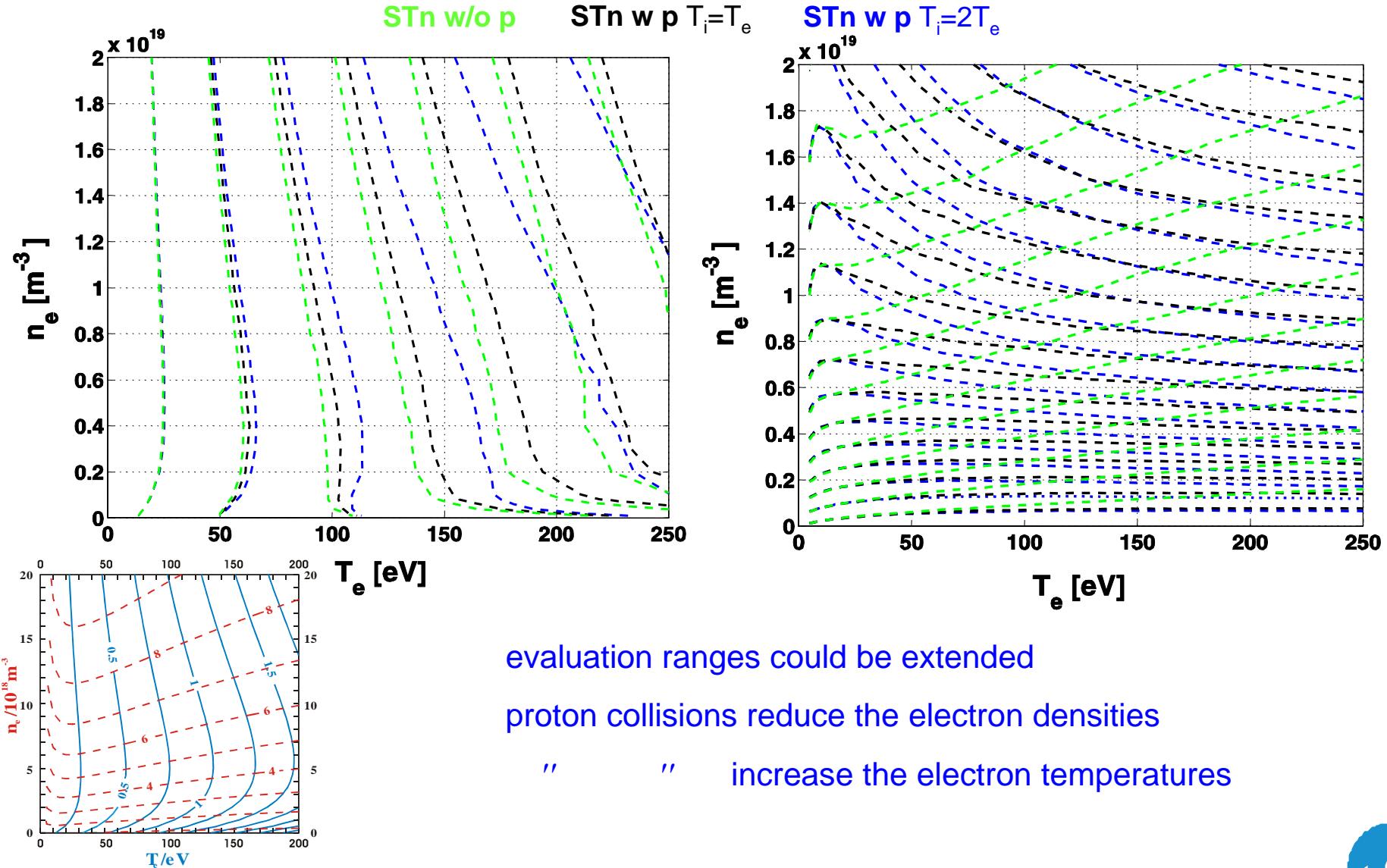
# Results – Comparison of different models



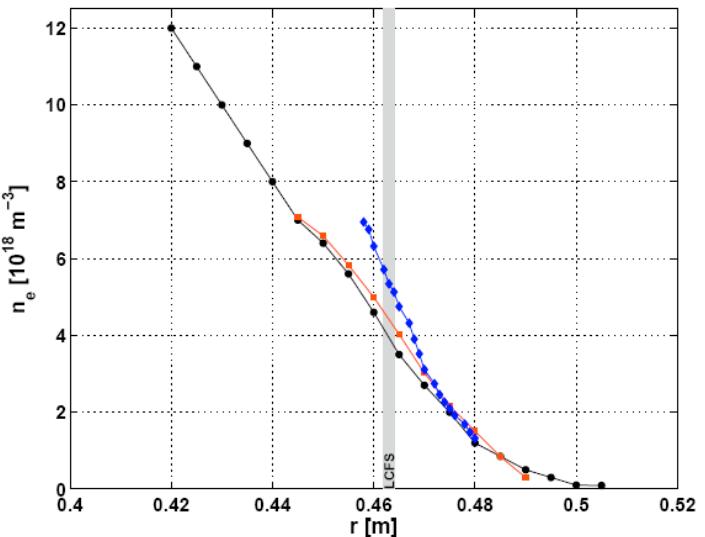
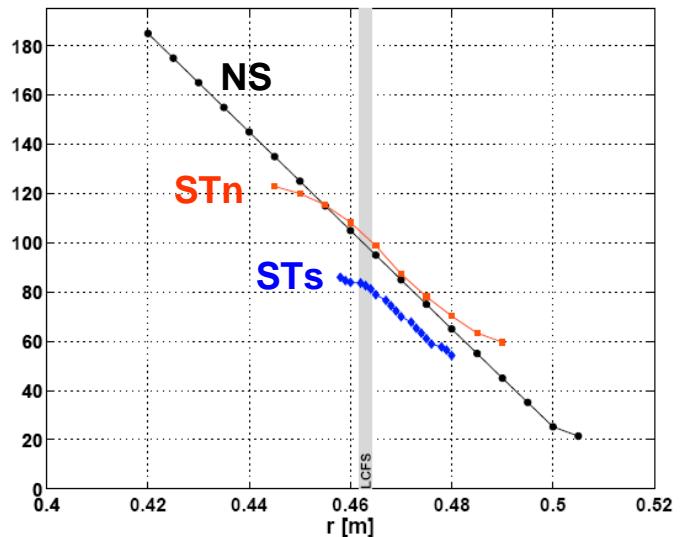
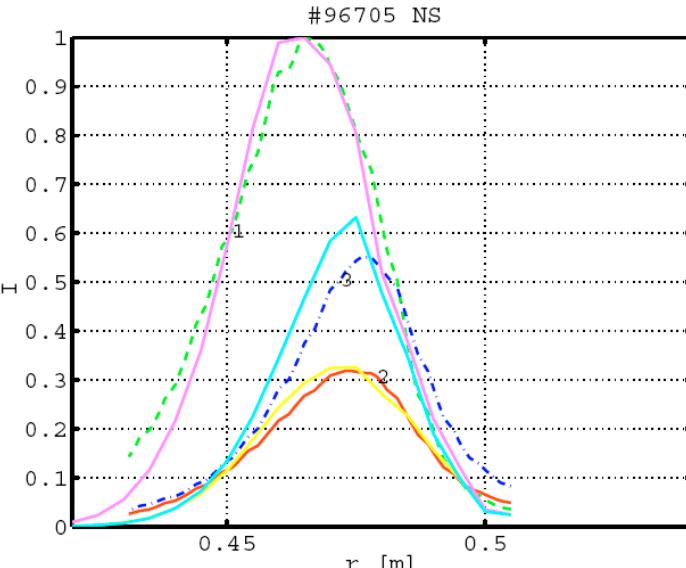
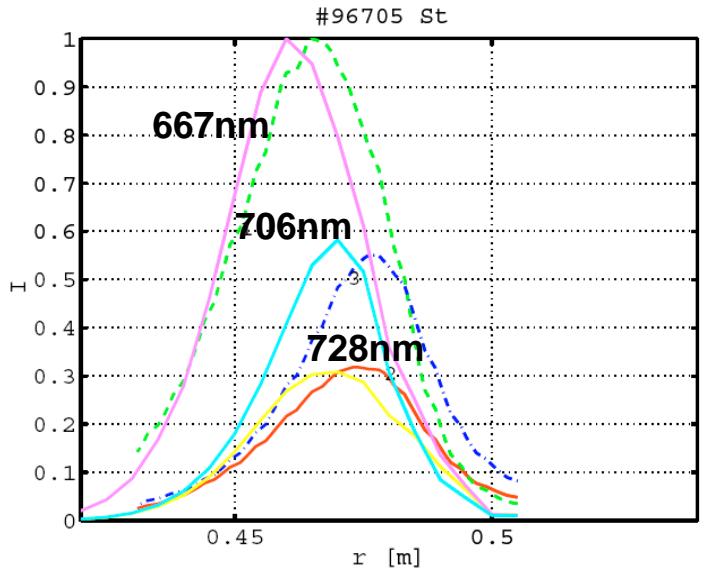
proton collisions do not seem to play a strong role

some effect is of course expected at high densities –  $T_i$  effects are still weak

# Results – $T_e$ & $n_e$ diagram (new)



# Results – Comparison for intensity profile fits (Ohmic discharge) (# 96705)



for large radii:

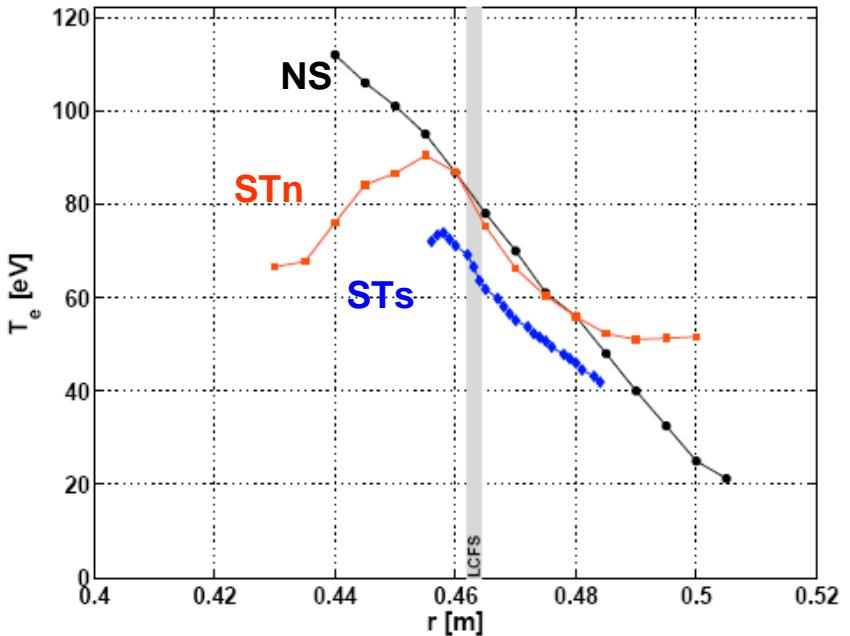
$\tau_r$  is too large

for small radii:

stronger impact of  
higher I-mixing  
(not yet considered)



# Results – Comparison for Ohmic discharges (# 98026)



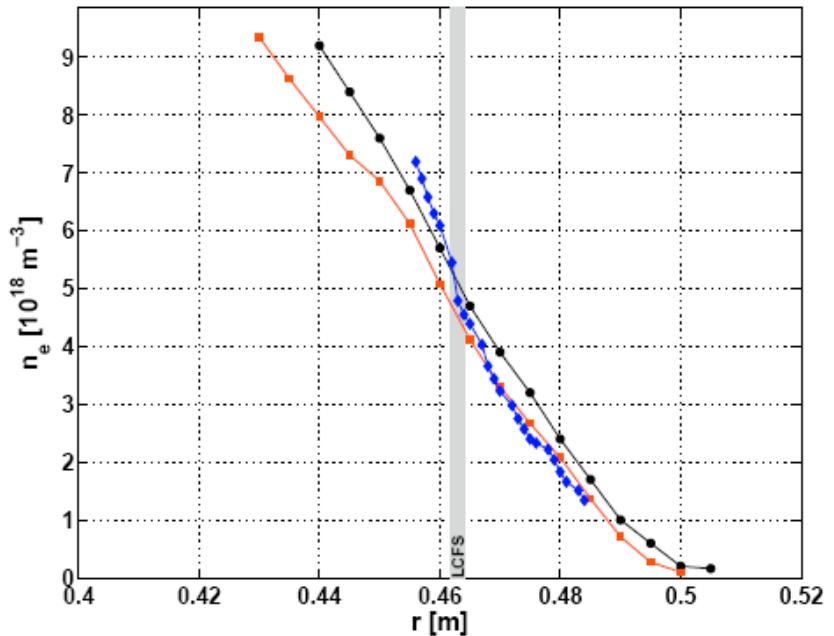
for large radii:

$\tau_r$  is too large

for small radii:

stronger impact of higher I-mixing

(not yet considered)



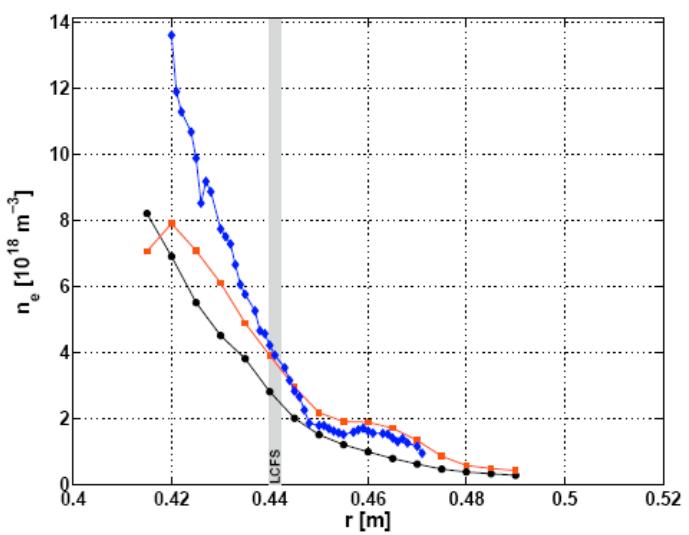
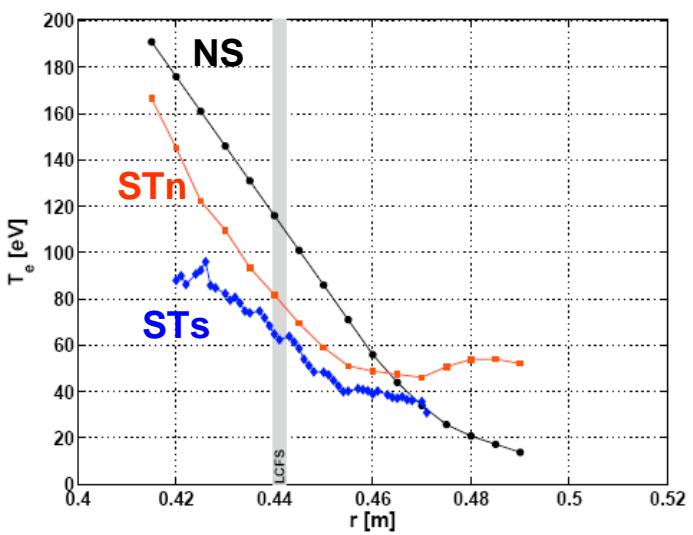
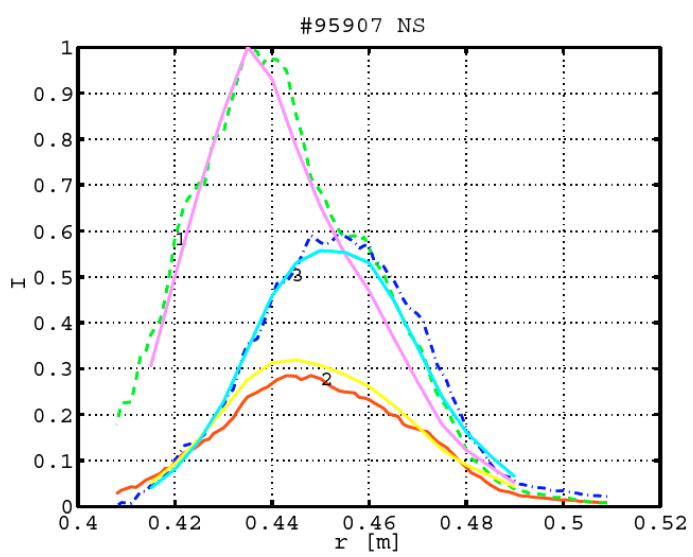
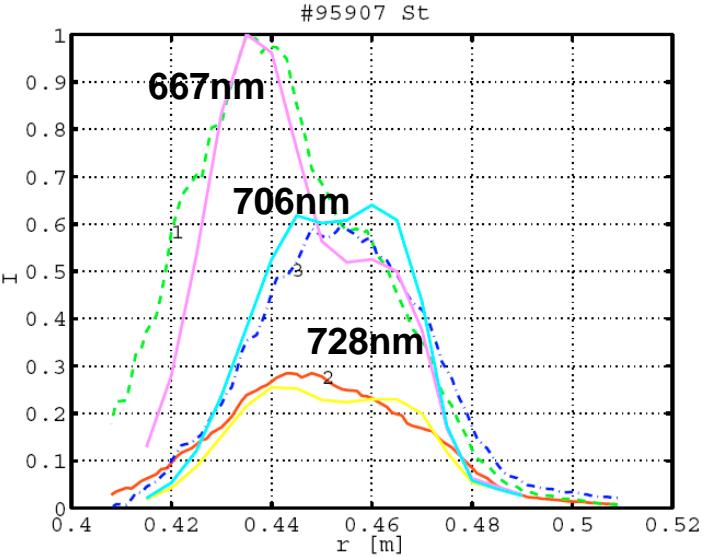
For Ohmic discharges:

The deviation between Brix's CRM and the new one accounts to 10% for  $T_e$  and is negligible for  $n_e$ .

The impact of proton collisions as well as of the new atomic processes (CXRS and a new ionisation rate coefficient) seems to have a minor effect.



# Results – Comparison for intensity profile fits (small NBI-heating) (# 95907, 300kW)



$T_e$  &  $n_e$

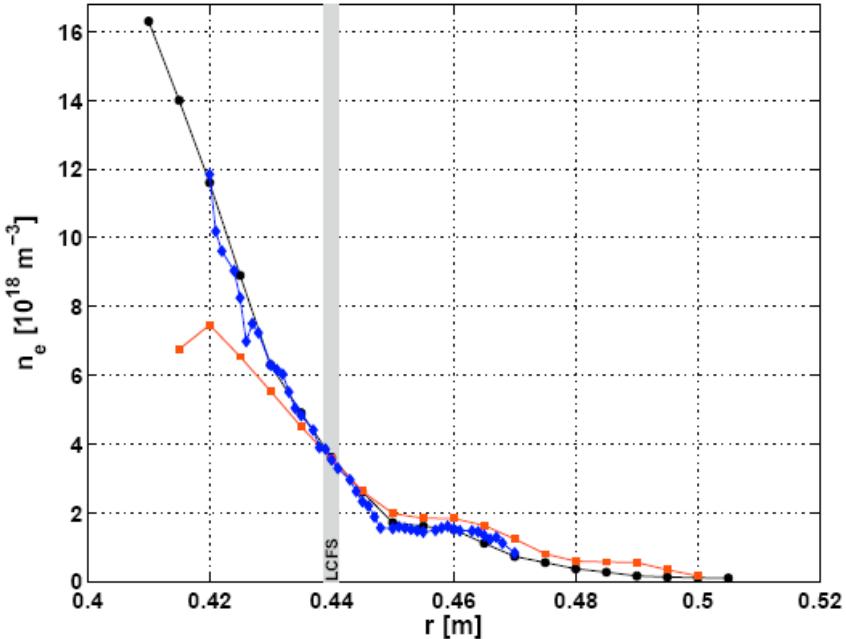
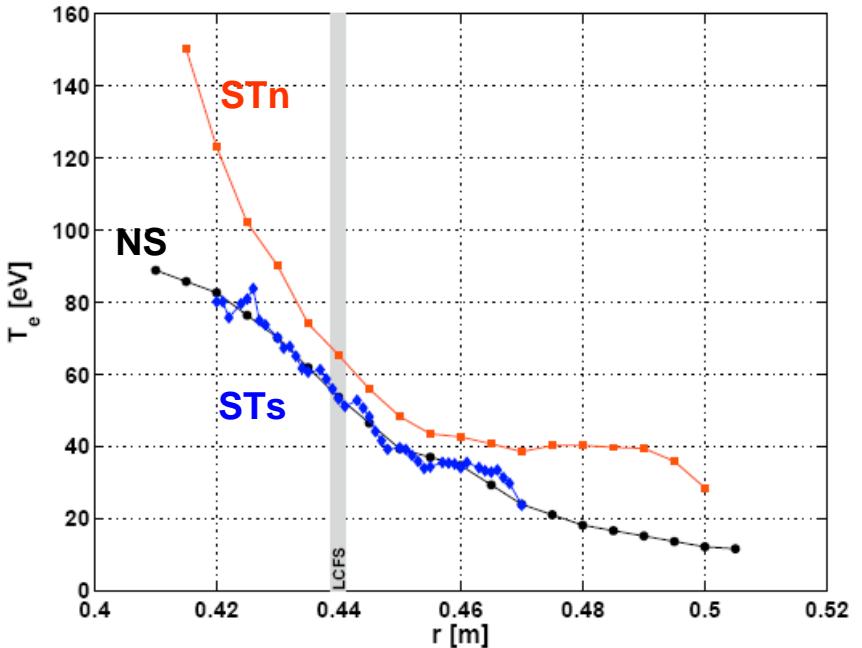
strong deviations  
(especially for  $T_e$ )

for all models at  
small radii

Influence from  
higher levels !?



# Results – discharges with small NB-heating (# 95896, 300kW)

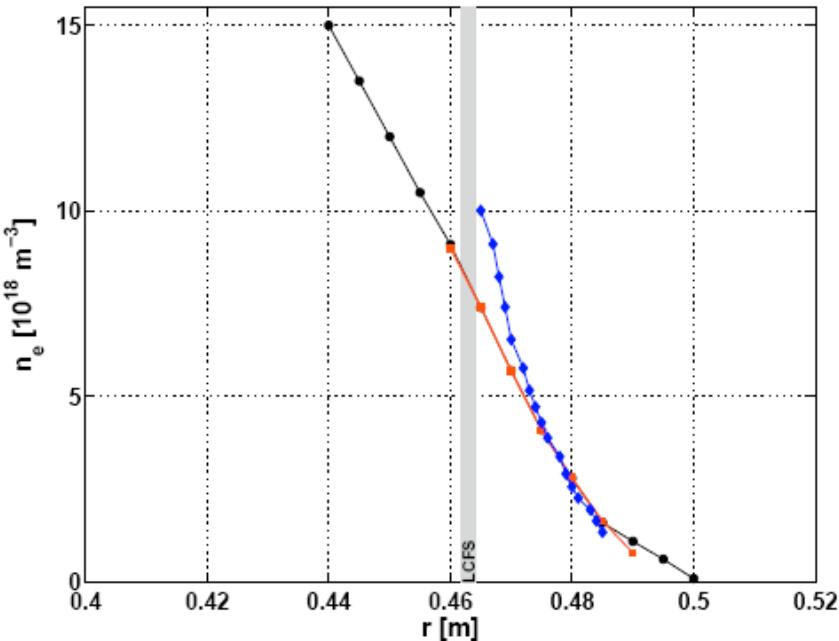
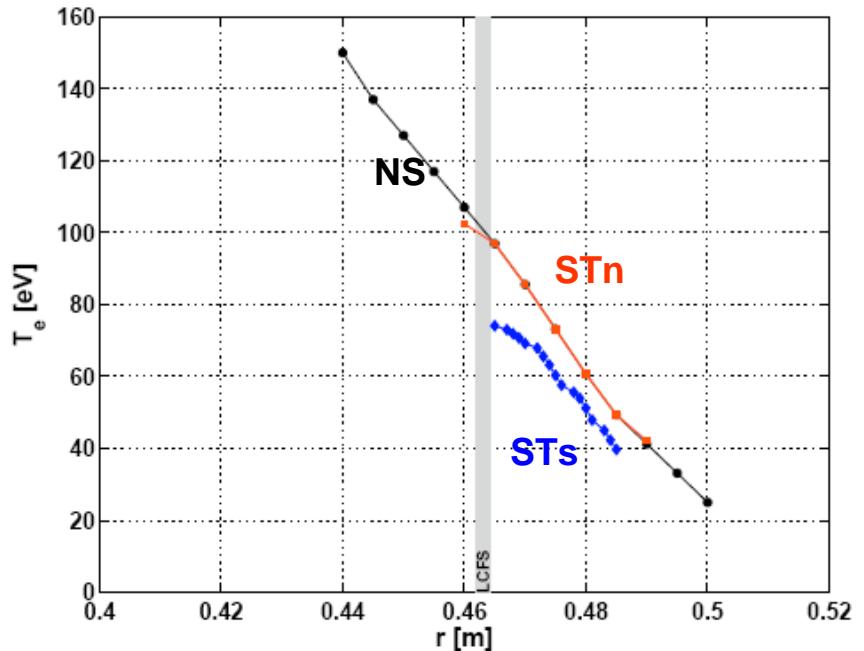


$T_e$  &  $n_e$

much better coincidence now



# Results – discharges with strong NB-heating (# 96710, 1200kW)

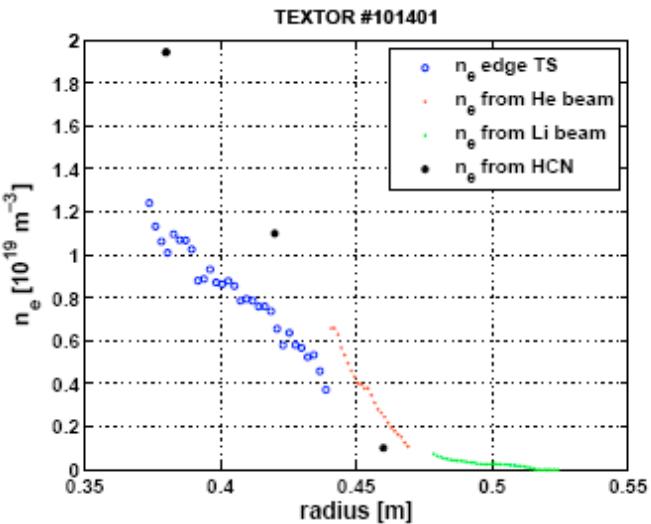
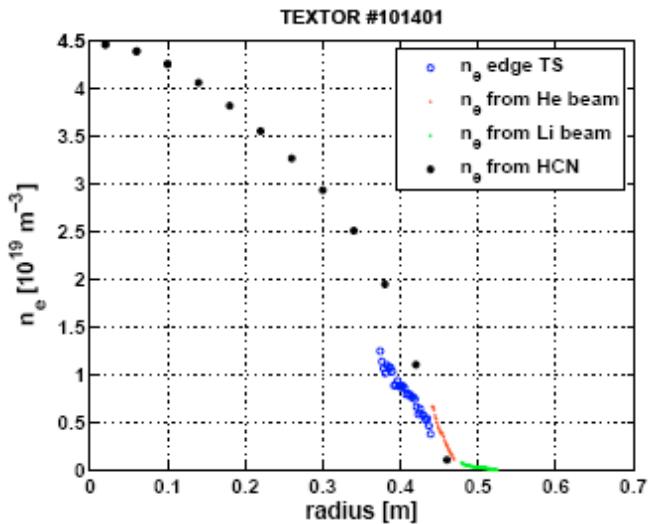


$T_e$  &  $n_e$

again much better coincidence now, **NS** allows extension into the confined plasma



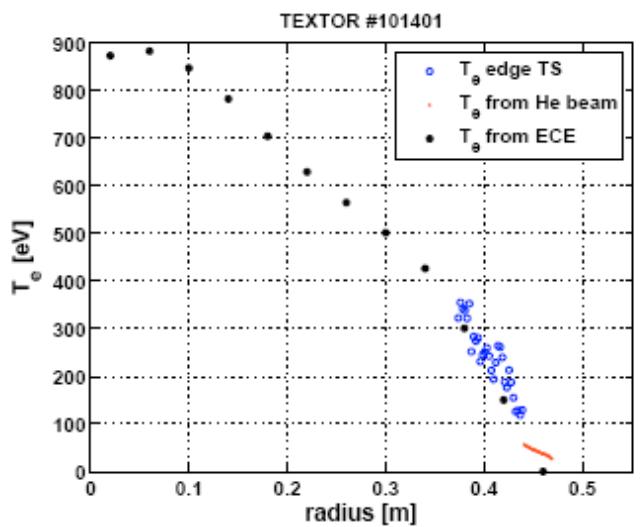
# Results – comparison with different diagnostics



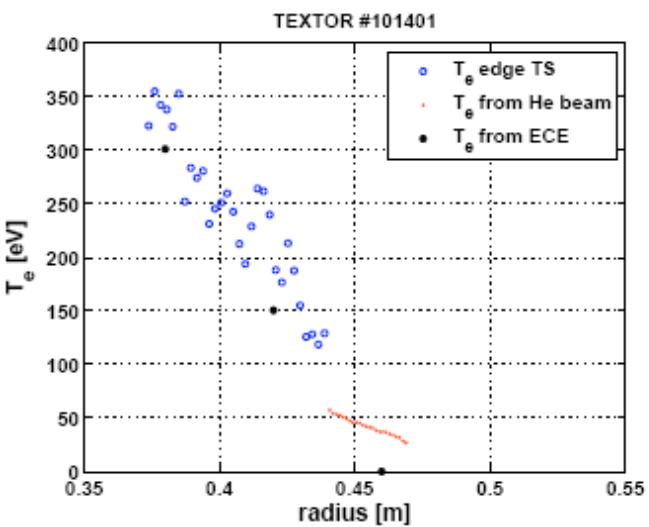
$n_e$

He- & Li-beam data extrapolate well into the HCN data

TS seems too small (calibration error ?)



Zoom



$T_e$

He-data extrapolate well into the HCN & TS data



## Summary & Conclusion

An extended model (to Brix 2000) with proton collisions and CEX processes has been tested on TEXTOR discharges.

Only marginal deviations => impact of the proton collisions is weak under the target plasma conditions investigated.

Evaluation with the non-stationary approach (NS) enhances the radial extension of the profile and cancels relaxation phenomena.

A method to apply the NS method as standard evaluation is under development.

For the measurement errors the range of  $\Delta T_e = 30\%$  and  $\Delta n_e = 10\%$  given by Brix 2000 is still valid.

Proton collisions (with  $T_i = T_e$ ) do not exceed these margins.

Comparison of the  $n_e(r)$  and  $T_e(r)$  profiles obtained with other edge are in reasonable agreement with those from He.

BES on thermal He should be a reliable method for measurements within  $2.0 \times 10^{18} m^{-3} < n_e < 3.0 \times 10^{19} m^{-3}$  and  $20 \text{ eV} < T_e < 300 \text{ eV}$ .

